

SIMPLIFIED DIFFERENTIAL COUNTING OF PARTICLES IN LIGHT  
MICROSCOPY

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ABSTRACT

A simplification of the differential counting of particles can be obtained by double counting the particles in the same slice: firstly, through the whole slice thickness and secondly, in the optical section only. This method was empirically tested on the epithelial nuclei of the adult male mouse, namely on five step slices of one thyroid lobe. It showed that the results obtained by simplified differential counting and the original one were of the same class size. The economy index was higher with the modified method. But, the economy of the simplified method is still greater because there is no need to prepare two differently thick section series. On this basis the simplified differential counting of particles in light microscopy can be recommended as an alternative method with higher economy.

Keywords: Depth of focus, differential particle counting, light microscopy, numerical density, slice thickness, thyroid gland.

INTRODUCTION

Bok and van Erp Taalman Kip (1940) proposed the differential counting of particles in two differently thick slices. This idea was used in practice by Ebbesson and Tang (1965) and Loud et al. (1978). The advantage of the differential counting of particles over classical methods lies in the fact that only the slice thicknesses must be known: not the shape, average diameter, particle size distribution, or height of the lost caps. Recently we proposed an improved method for particle counting in light microscopy by counting their profiles in the optical section only, that is in the objective depth of focus; for example, at objective magnification  $\times 100$  the depth of focus is  $1.250 \mu\text{m}$  (Haug, 1955).

MATERIAL AND METHODS

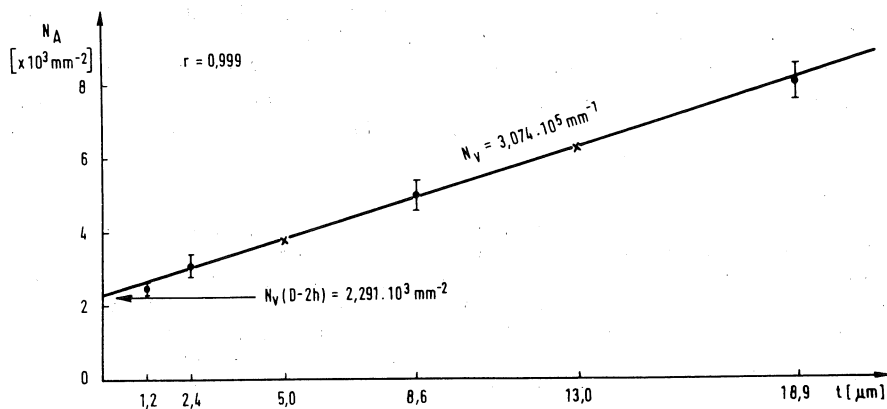
Further improvement of the differential counting of particles can be obtained by double counting the particle profiles in the same slice: firstly, through the whole slice thickness and secondly, in the optical section only. With this the efficiency

of the method is improved and the expected accuracy is satisfactory. We propose the use of the following formula:

$$N_V = \frac{N_{At} - N_{Ao}}{t - o}, \quad (1)$$

where  $N_{At}$  is the number of profiles in the whole slice thickness  $t$ ,  $N_{Ao}$  the number of profiles in the optical section through this slice,  $t$  the thickness of the slice and  $o$  the depth of focus of a certain objective.

This method was empirically tested on the epithelial nuclei of the adult male mouse, namely on five step slices of one thyroid lobe of the following thicknesses, calculated for the depth of focus and/or estimated by the microscrew: 1.250  $\mu\text{m}$ , 2.380  $\mu\text{m}$ , 8.580  $\mu\text{m}$  and 18.860  $\mu\text{m}$ . The values for  $N_A$  were used for calculations of  $N_V$  by the formulas according to: Floderus (1944), modified Floderus where  $(D - 2h)$  was estimated by the Loud et al. method (1978), our method (Pajer and Kališnik, 1984), Ebbesson and Tang (1965) for all possible different combinations, the modified Ebbesson and Tang method where the depth of focus was taken for the thinnest slice and Loud et al. (1978). The results of the last method were used as a reference value (graph 1). The economy index for all methods was also calculated.



Graph 1. Regression line between numerical areal density ( $N_A + 2SE$ ) of the thyroid gland epithelial nuclei and different slice thicknesses ( $t$ ). The slope of the line is equal to the reference numerical density ( $N_V$ ). The intersection of the regression line with the ordinate axis at  $t=0$  equals ( $N_V(D - 2h)$ ), where  $D$  is the diameter of particles and  $h$  the lost cap height;  $r$  is the correlation coefficient.

RESULTS

Results are presented in table 1. The values for the numerical density ( $N_{Vn}$ ) for different methods have been calculated from empirically obtained values for  $N_A$ . Besides, the modified numerical densities ( $N_{Vn}'$ ) have been calculated according to the corresponding equations where  $N_A$  values from the regression line were used.

Empirical testing showed that the results obtained by simplified differential counting and the original Ebbesson and Tang method were of the same class size (relative deviations from the reference value with the original Ebbesson and Tang method were between -0.02 and +0.01, with the modified method between +0.02 and +0.07) (graph 2).



Graph 2. Relative deviations of the mouse thyroid gland epithelial nuclei numerical densities for different methods from the reference value of the Loud et al. method (L)

F02 original method of Floderus for three differently thick slices (2.380  $\mu$ m, 8.580  $\mu$ m, 18.860  $\mu$ m)

FM2 modified method of Floderus with values for (D - 2h) obtained according to the Loud et al. method

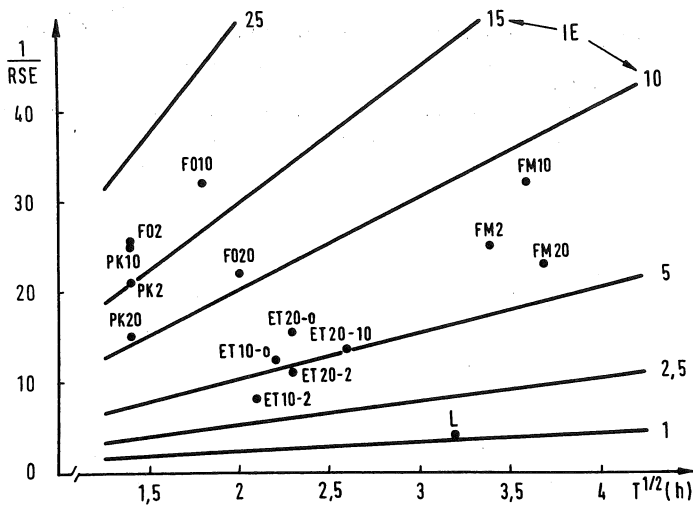
PK2 method of Pajer and Kališnik with counting in one sharp optical section with the depth of focus 1.250  $\mu$ m

ET20-10 method of Ebbesson and Tang for all possible combinations of differences for differently thick slices

ET20-0 simplified method of Ebbesson and Tang with counting in two differently thick slices and in their optical section

Table 1. Numerical density ( $N_{Vn}$ ) of the mouse thyroid gland epithelial nuclei, relative standard error (RSE), economy index (IE), relative deviation according to the results of the Loud et al. method ( $(X-L)/L$ ), modified numerical density from theoretical  $N_A(N_{Vn}')$  and corresponding relative deviation ( $(X'-L)/L$ ) according to different methods

| Reference                     | Method  | Section thickness or difference ( $\mu\text{m}$ ) | $N_{Vn}(X)$<br>( $\times 10^5 \text{mm}^{-3}$ ) | RSE   | IE     | $\frac{X-L}{L}$ | $N_{Vn}'(X')$<br>( $\times 10^5 \text{mm}^{-3}$ ) | $\frac{X'-L}{L}$ |
|-------------------------------|---------|---------------------------------------------------|-------------------------------------------------|-------|--------|-----------------|---------------------------------------------------|------------------|
| FLODERUS<br>1944              | F02     | 2.380                                             | 4.011                                           | 0.039 | 18.718 | +0.305          | 3.864                                             | +0.257           |
|                               | F010    | 8.580                                             | 3.593                                           | 0.031 | 17.669 | +0.169          | 3.515                                             | +0.143           |
|                               | F020    | 18.860                                            | 3.325                                           | 0.045 | 11.168 | +0.082          | 3.328                                             | +0.083           |
| FLODERUS<br>MODIFIED          | FM2     | 2.380                                             | 3.175                                           | 0.040 | 7.309  | +0.033          | 3.075                                             | +0.0003          |
|                               | FM10    | 8.580                                             | 3.132                                           | 0.031 | 9.003  | +0.019          | 3.074                                             | 0.000            |
|                               | FM20    | 18.860                                            | 3.065                                           | 0.043 | 6.182  | -0.003          | 3.074                                             | 0.000            |
| PAJER-<br>KALIŠNIK<br>1984    | PK2     | 1.250                                             | 3.041                                           | 0.047 | 15.146 | -0.011          |                                                   |                  |
|                               | PK10    | 1.250                                             | 3.245                                           | 0.040 | 17.315 | +0.056          | 3.355                                             | +0.091           |
|                               | PK20    | 1.250                                             | 3.185                                           | 0.065 | 11.065 | +0.036          |                                                   |                  |
| EBBESSON-<br>TANG<br>1965     | ET20-10 | 10.280                                            | 2.962                                           | 0.074 | 5.176  | -0.036          | 3.074                                             | 0.000            |
|                               | ET20-2  | 16.480                                            | 3.011                                           | 0.089 | 4.830  | -0.020          | 3.074                                             | 0.000            |
|                               | ET10-2  | 6.200                                             | 3.103                                           | 0.119 | 3.880  | +0.009          | 3.074                                             | 0.000            |
| EBBESSON-<br>TANG<br>MODIFIED | ET20-0  | 17.610                                            | 3.146                                           | 0.064 | 6.744  | +0.023          | 3.074                                             | 0.000            |
|                               | ET10-0  | 7.330                                             | 3.300                                           | 0.080 | 5.691  | +0.073          | 3.074                                             | 0.000            |
| LOUD ET AL.<br>1978           | L       | ...                                               | 3.074                                           | 0.265 | 1.186  | 0.000           | 3.074                                             | 0.000            |



Graph 3. Relation between the reversed value of the relative standard error ( $1/RSE$ ), time used for counting in hours ( $T^{1/2}$ ) and economy index ( $IE$ ) for the estimation methods according to different methods

But the economy index was higher with the modified method (with the original method it was between 3.9 and 5.2, with the modified between 5.7 and 6.7) (graph 3). The economy of our method is still greater because there is no need to prepare two differently thick section series.

#### CONCLUSION

On this basis we may recommend the simplified differential counting of particles in light microscopy as an alternative method with higher economy.

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